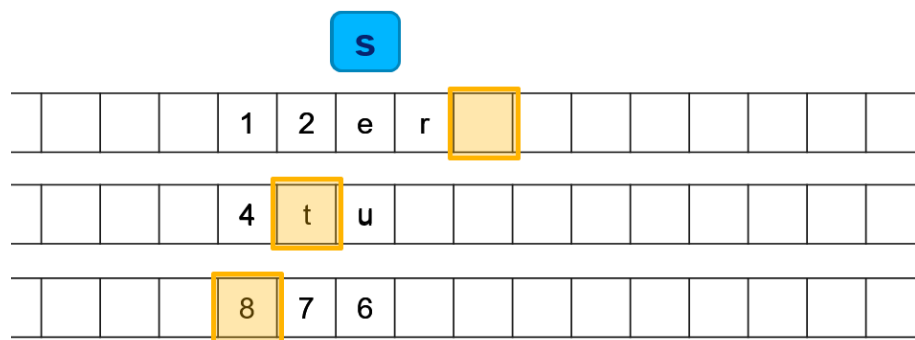
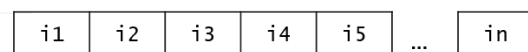


8



Complexity across computational models

Analiza Algoritmilor



25

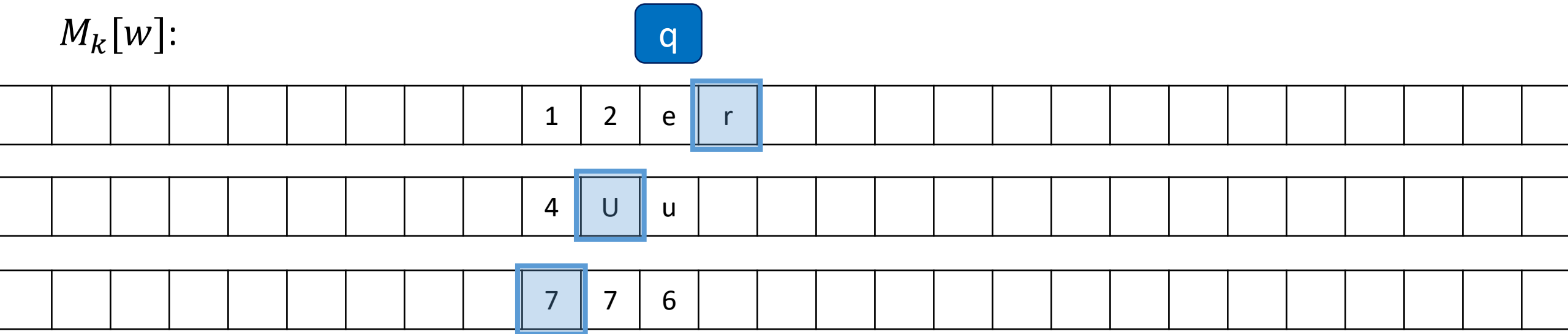
...
23
24
25
26
27
28
29
30
...

READ 1
STORE 1
STORE 5
READ 2
STORE 2
HALF
STORE 3
ADD 3

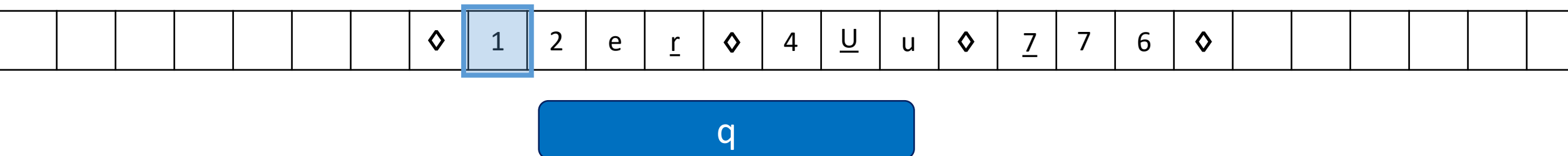
r0	43
r1	2
r2	
r3	-1224
r4	
r5	
r6	-23
r7	76
r8	

Single tape simulation – efficiency

$M_k[w]$:

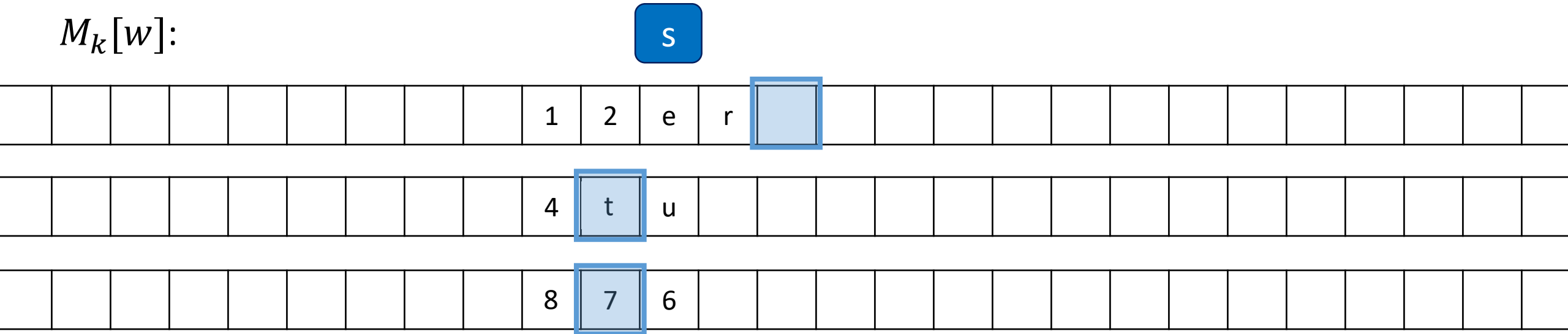


$M_1[w]$:

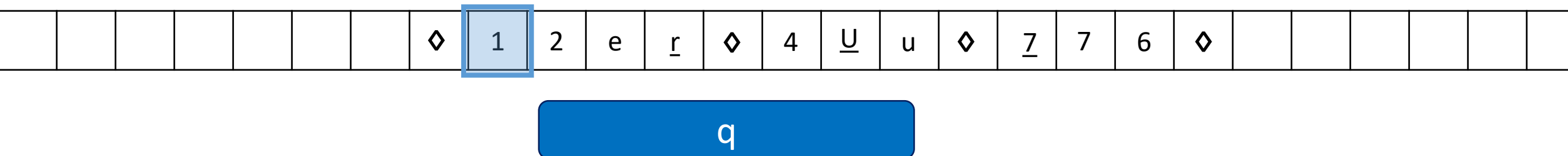


Single tape simulation – efficiency

$M_k[w]$:

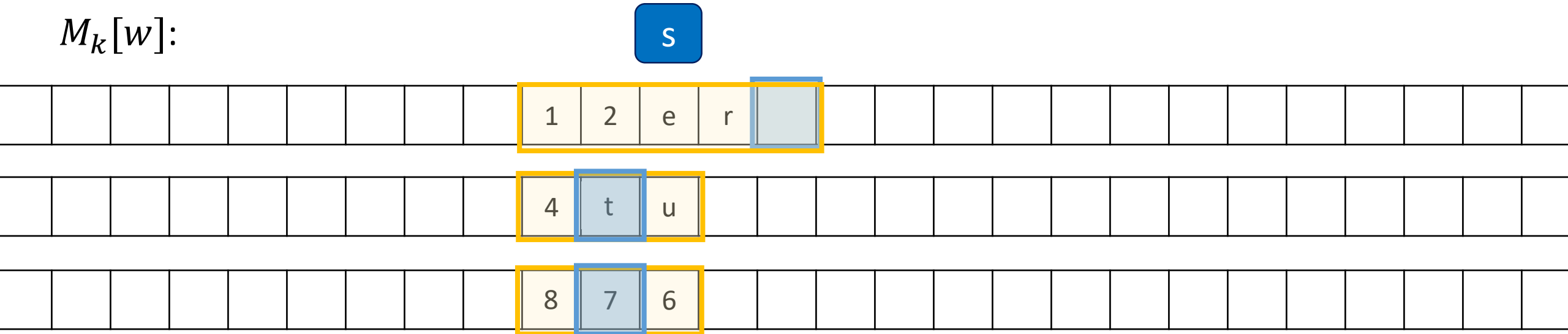


$M_1[w]$:



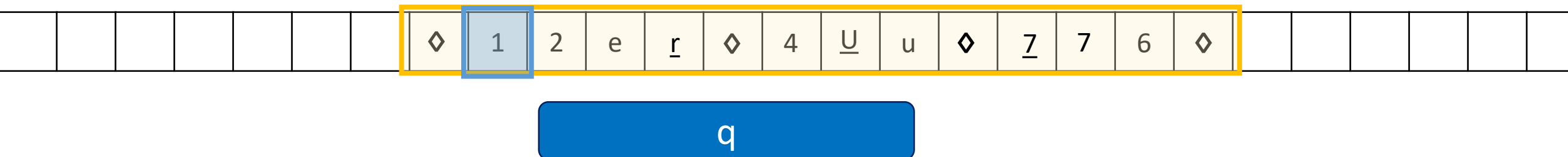
Single tape simulation – efficiency

$M_k[w]$:



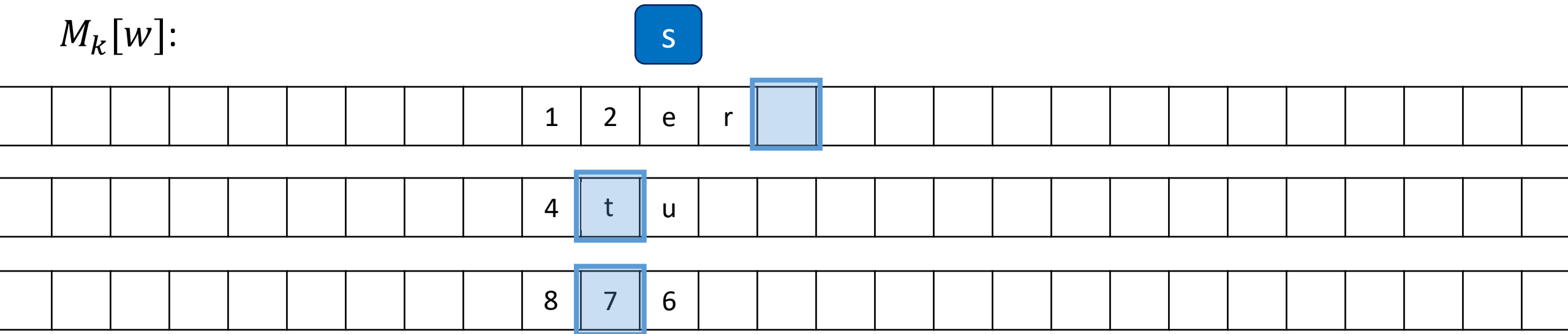
$M_1[w]$:

At most $\Theta(t_k(w))$ non-blank cells



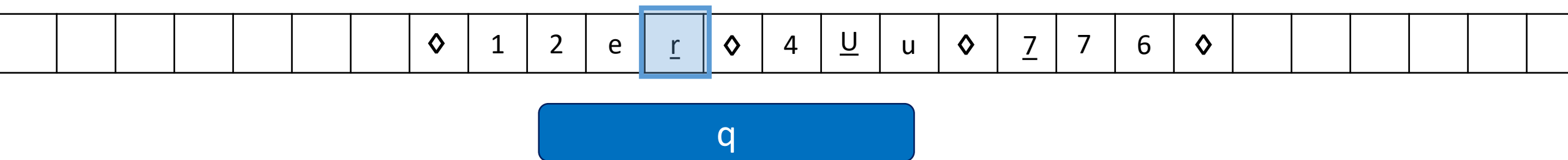
Single tape simulation – efficiency

$M_k[w]$:



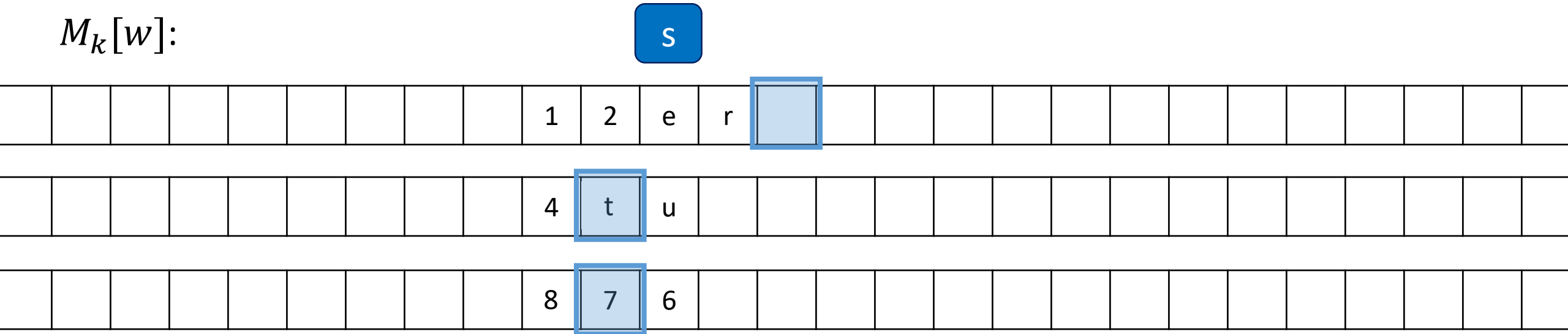
$M_1[w]$:

Searching for k underlined symbols: $\Theta(t(w))$



Single tape simulation – efficiency

$M_k[w]$:



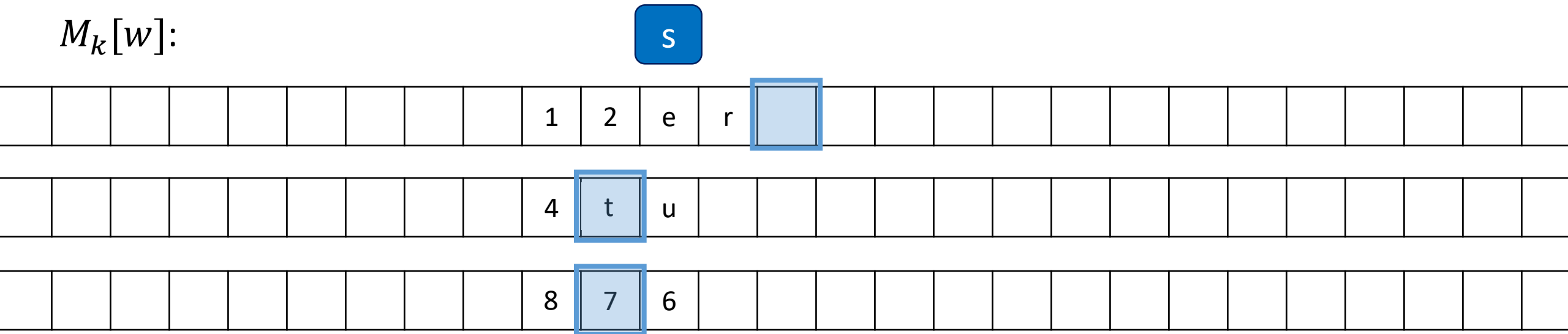
$M_1[w]$:

Searching for k underlined symbols: $\Theta(t(w))$



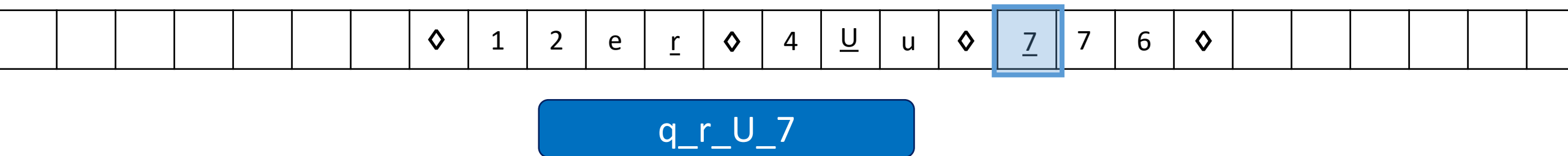
Single tape simulation – efficiency

$M_k[w]$:



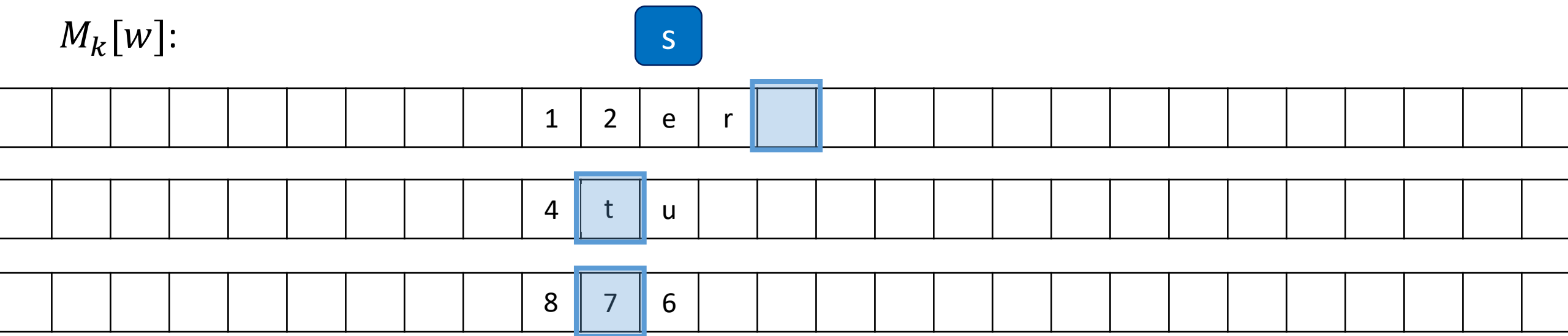
$M_1[w]$:

Searching for k underlined symbols: $\Theta(t(w))$



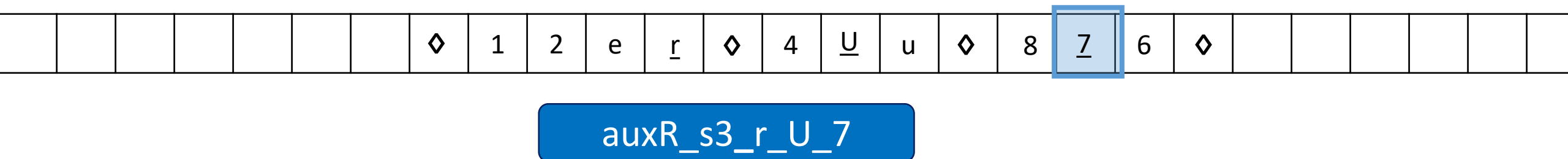
Single tape simulation – efficiency

$M_k[w]$:



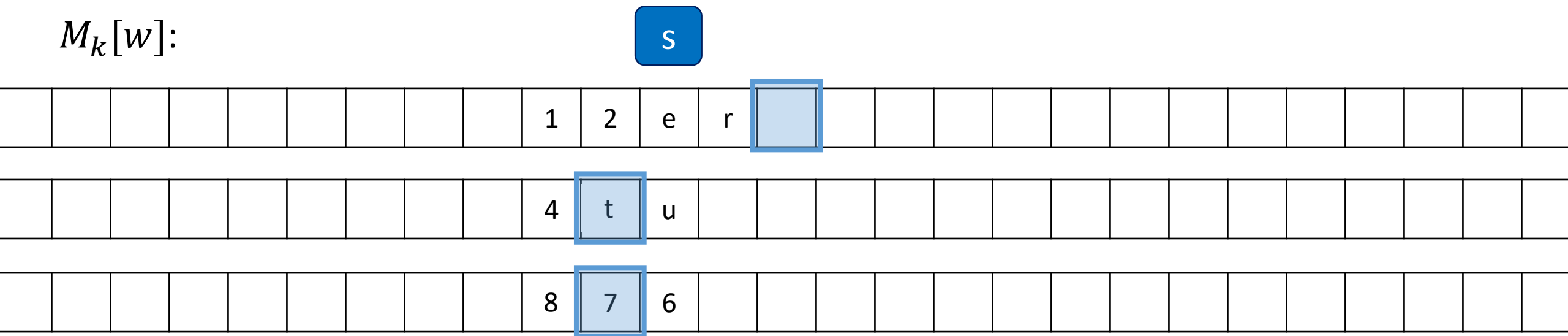
$M_1[w]$:

Performing an action; generally: $\Theta(1)$



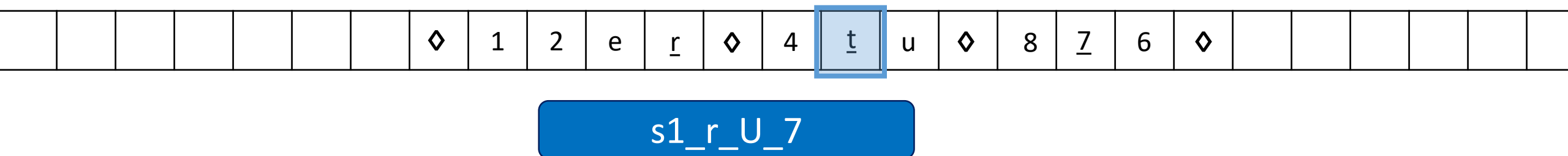
Single tape simulation – efficiency

$M_k[w]$:



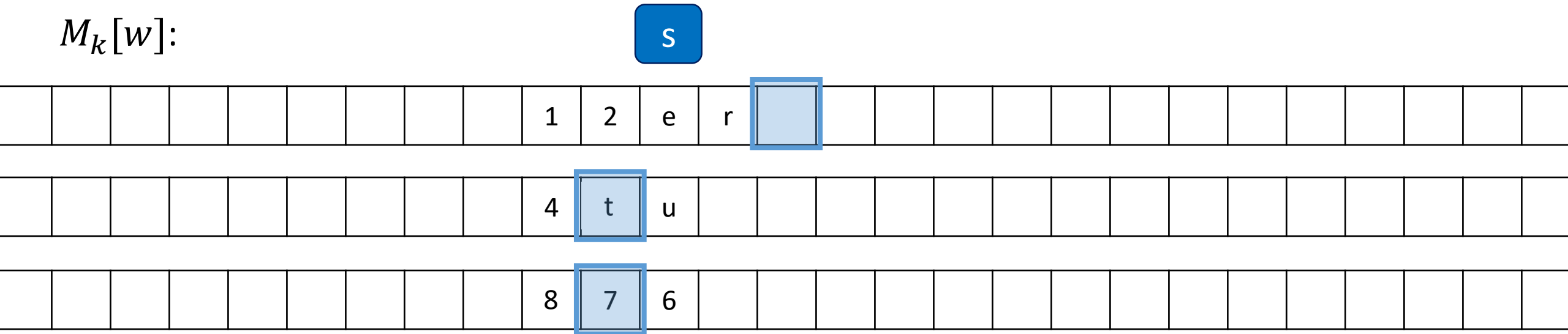
$M_1[w]$:

Performing an action; generally: $\Theta(1)$



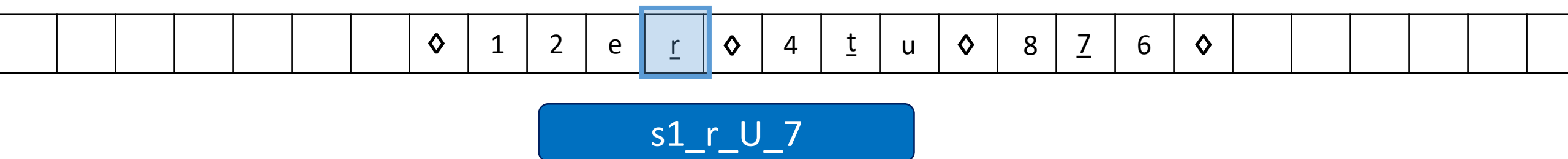
Single tape simulation – efficiency

$M_k[w]$:



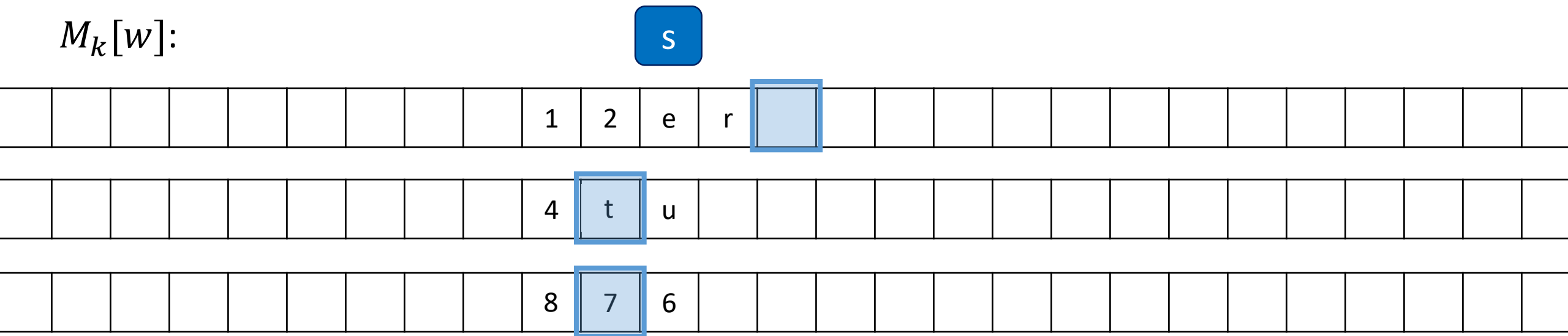
$M_1[w]$:

Performing an action; worst-case (shift tape contents): $\Theta(t_k(w))$



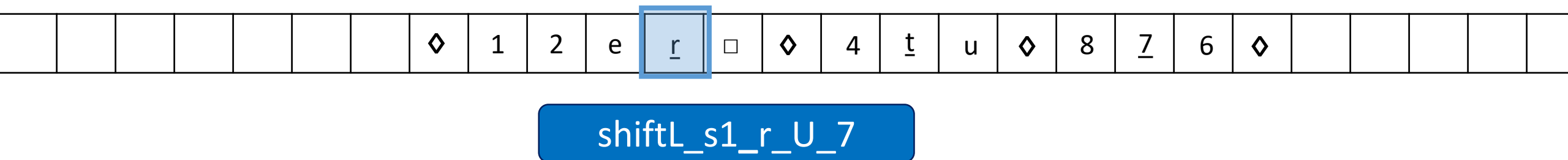
Single tape simulation – efficiency

$M_k[w]$:



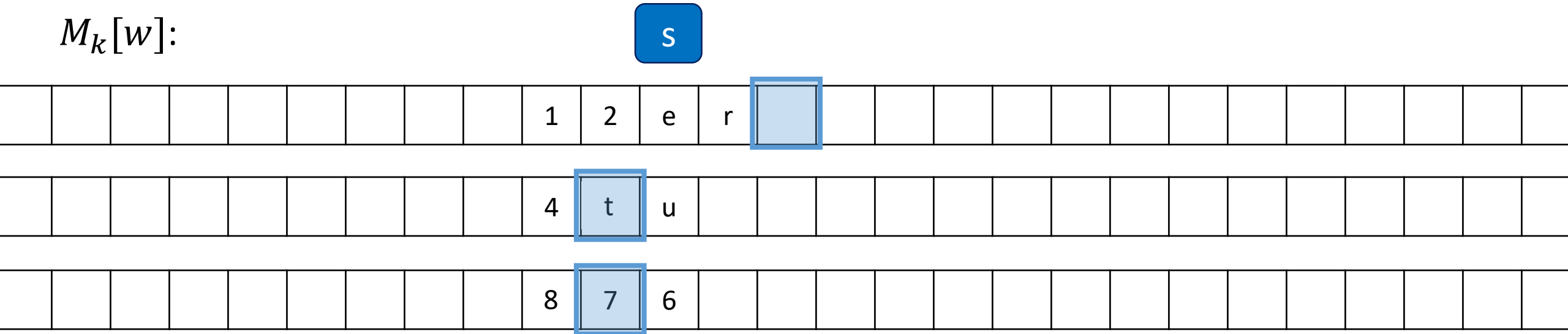
$M_1[w]$:

Performing an action; worst-case (shift tape contents): $\Theta(t_k(w))$

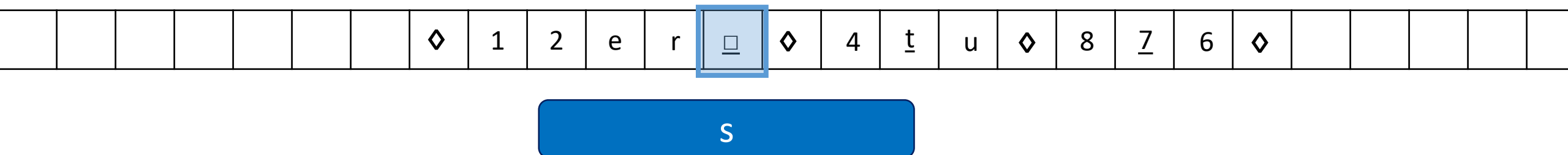


Single tape simulation – efficiency

$M_k[w]$:



$M_1[w]$:



The class P

$$P \stackrel{\text{def}}{=} \bigcup_{k \in \mathbb{N}} DTIME(n^k)$$

The class of tractable problems

Problems that can't be solved in polynomial time are ***intractable***