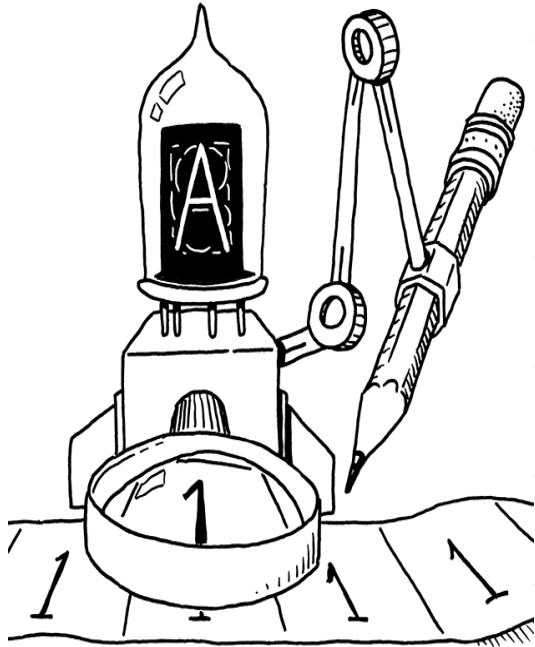
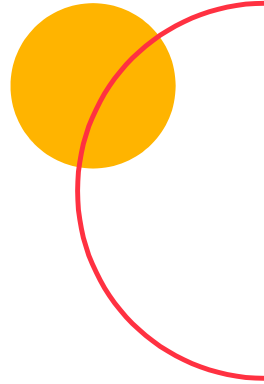
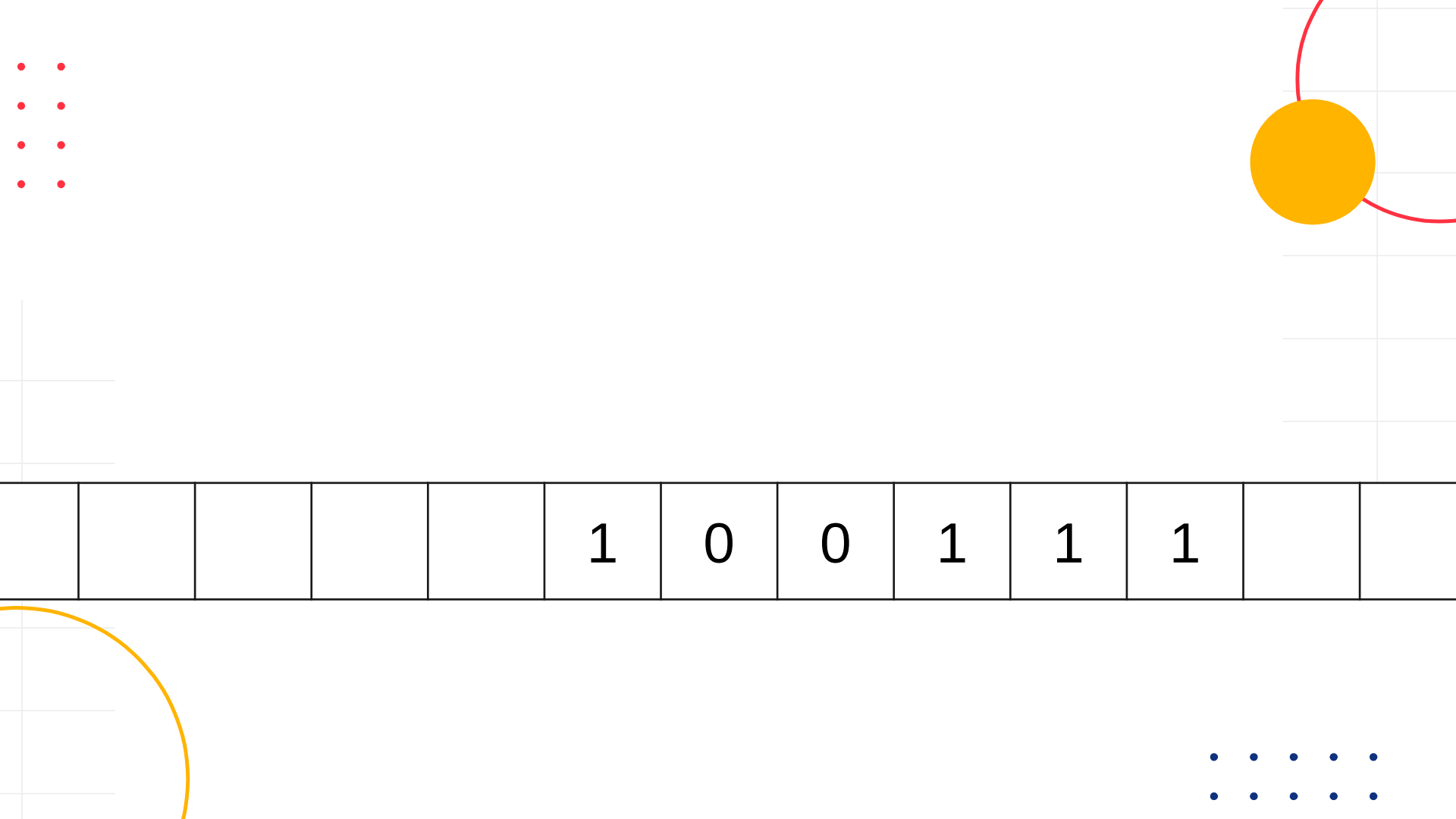




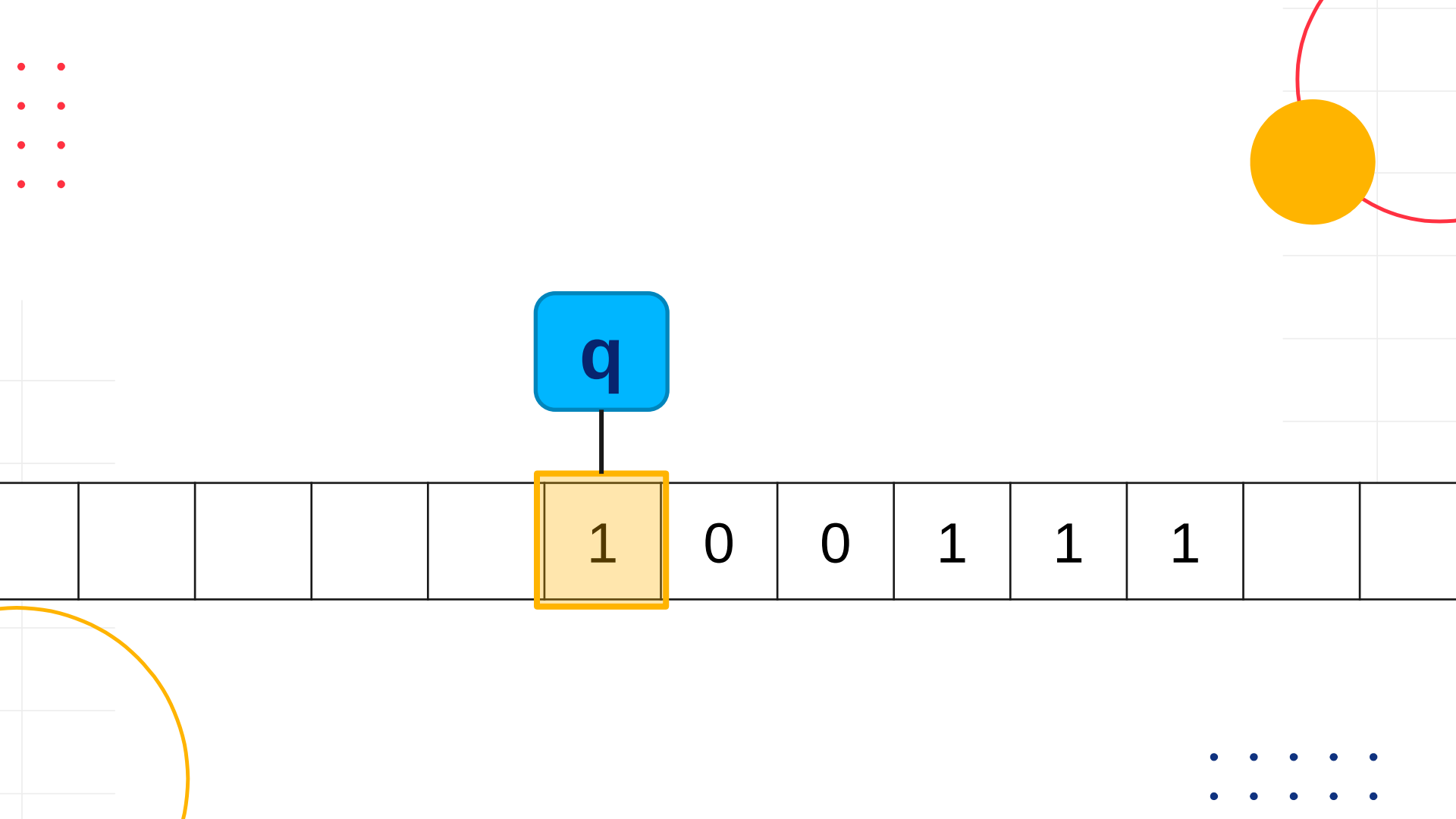
The Turing Machine

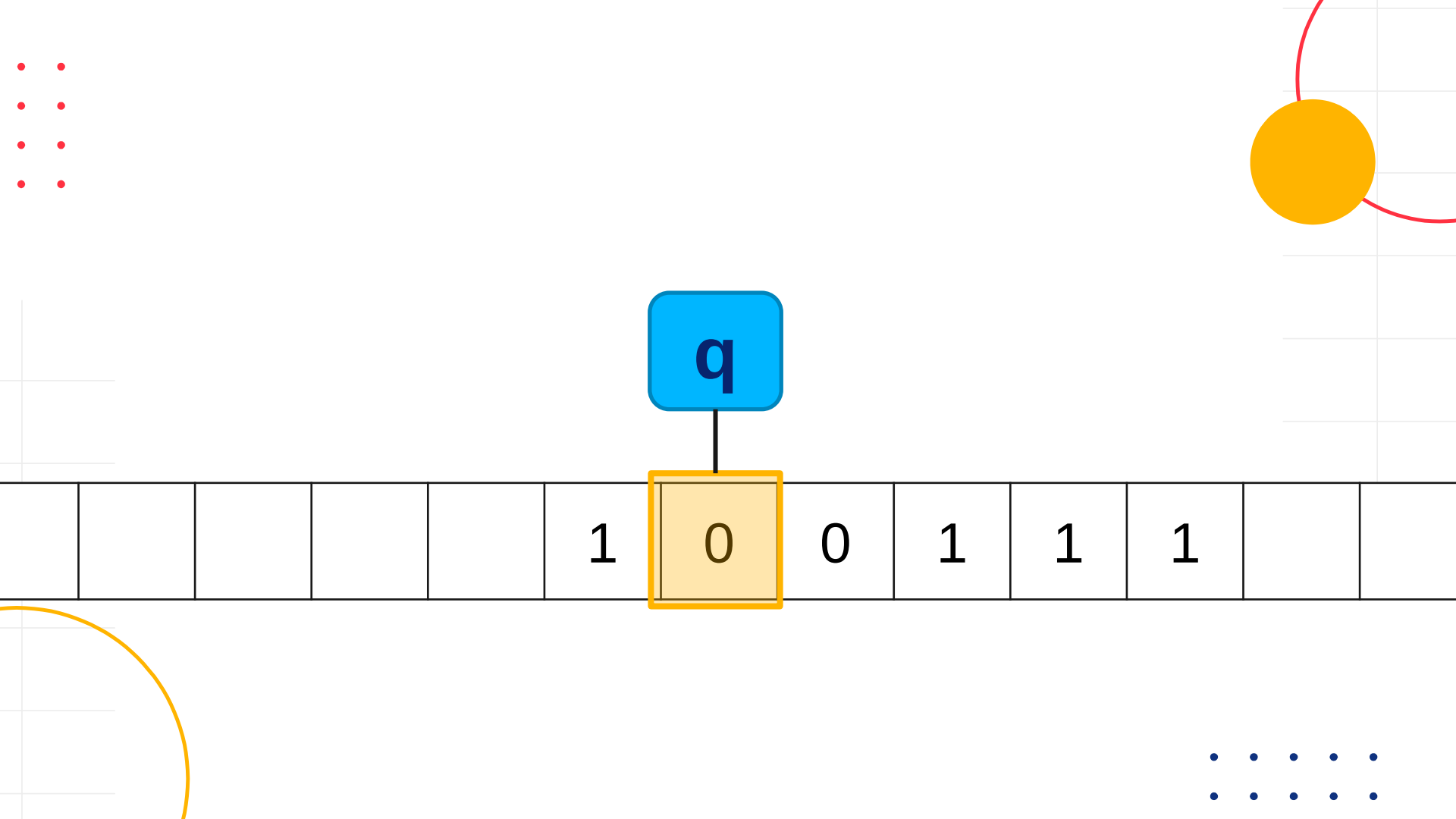
Analiza Algoritmulor

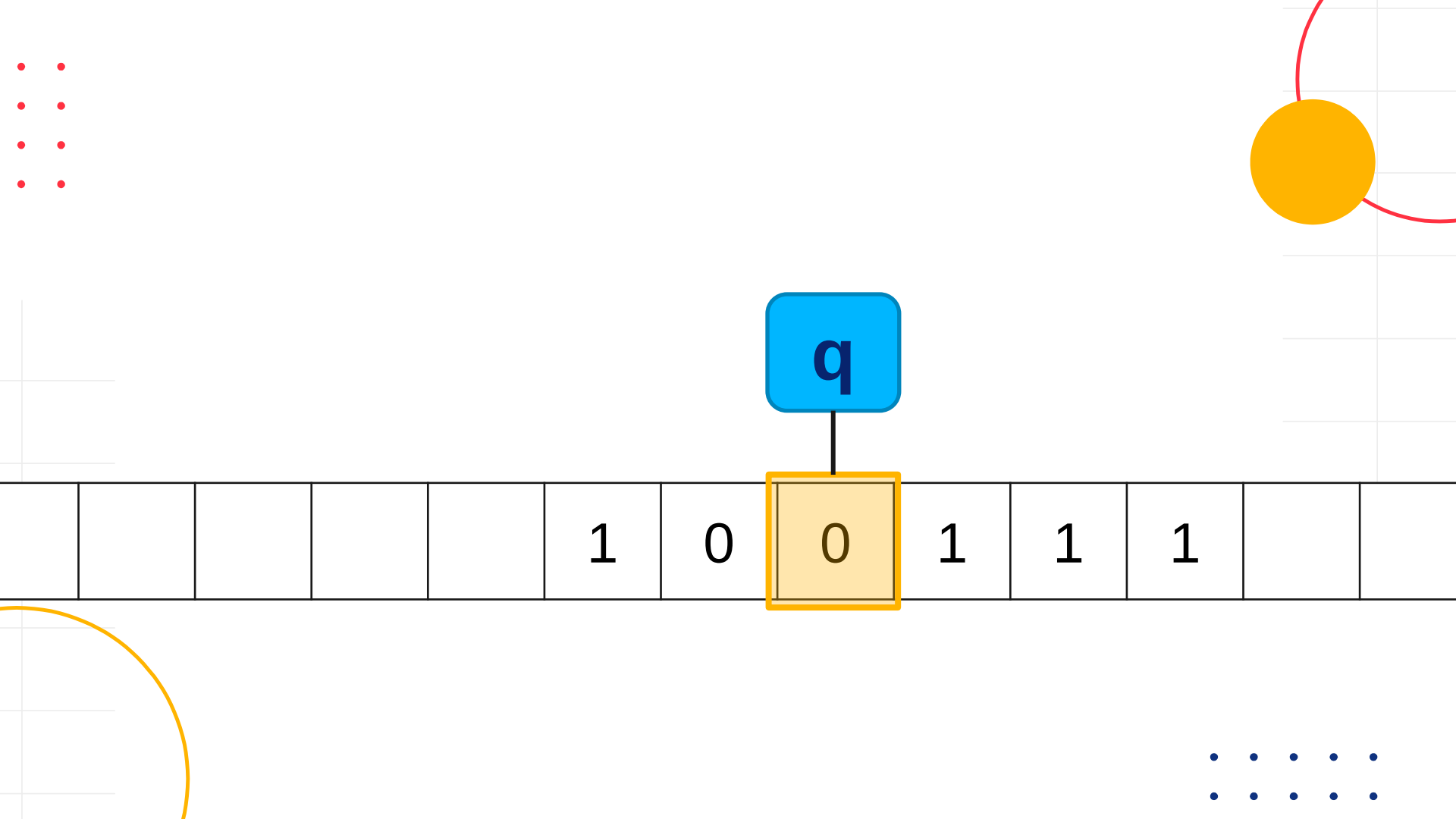


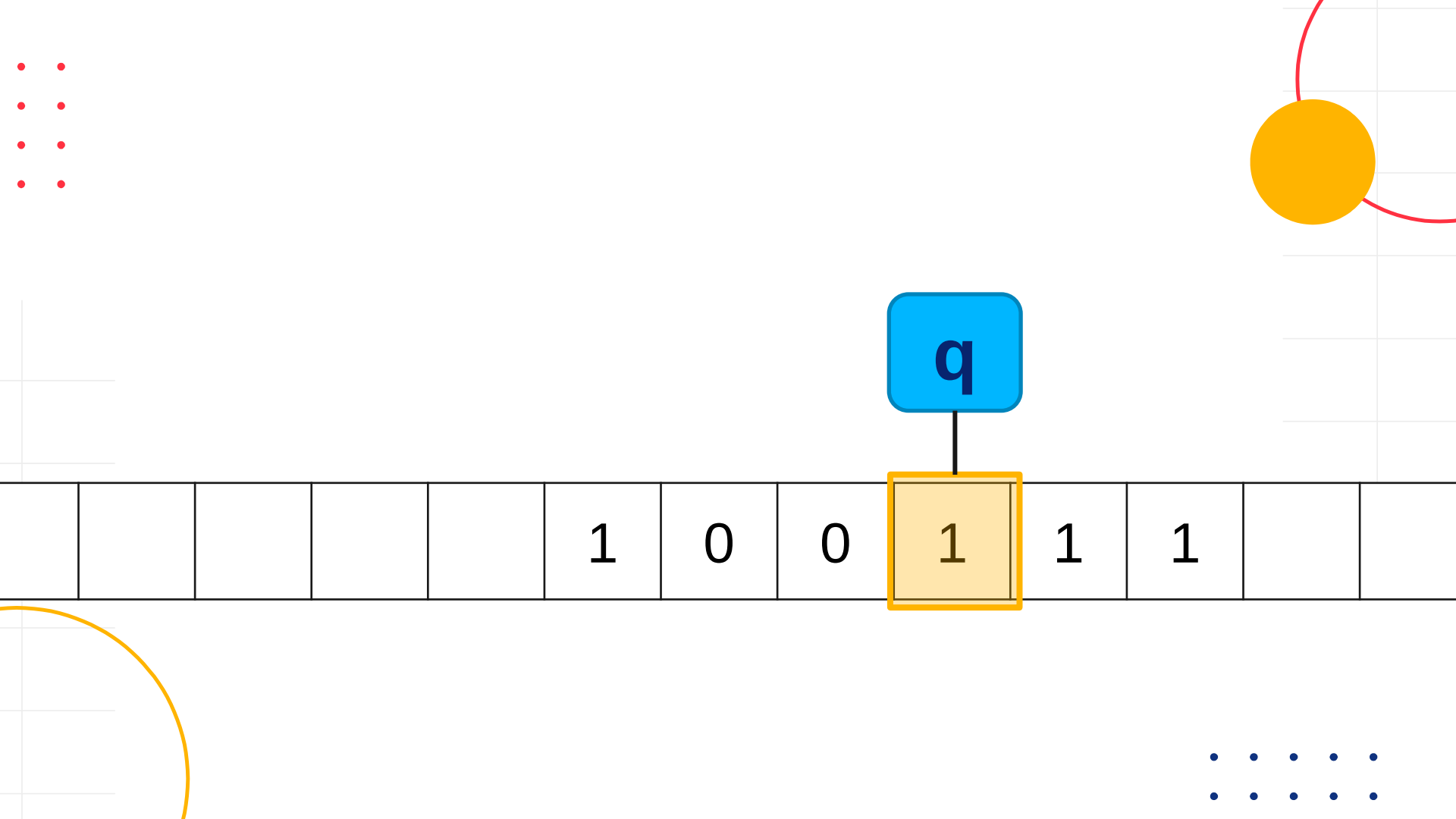


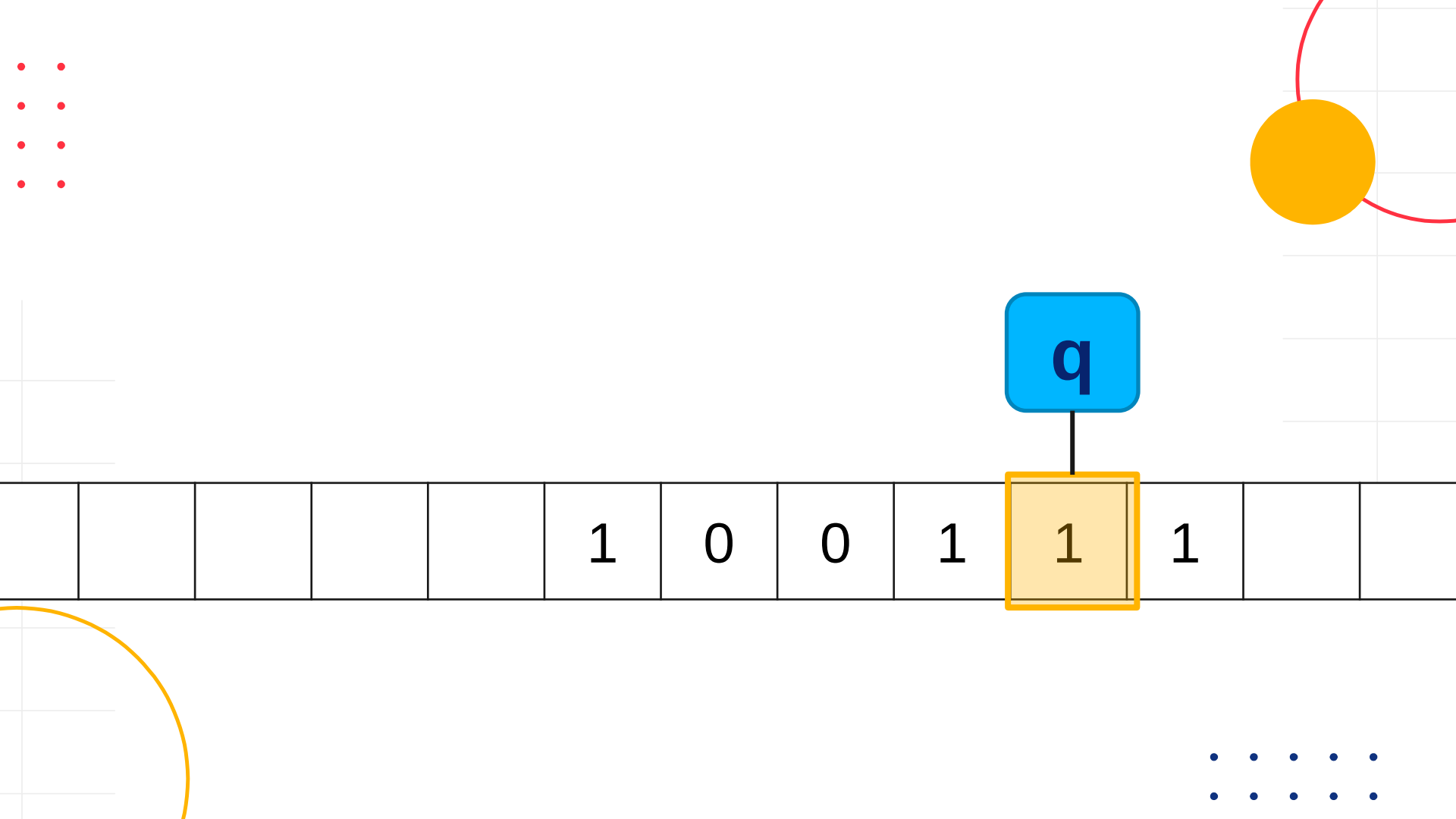
					1	0	0	1	1	1		
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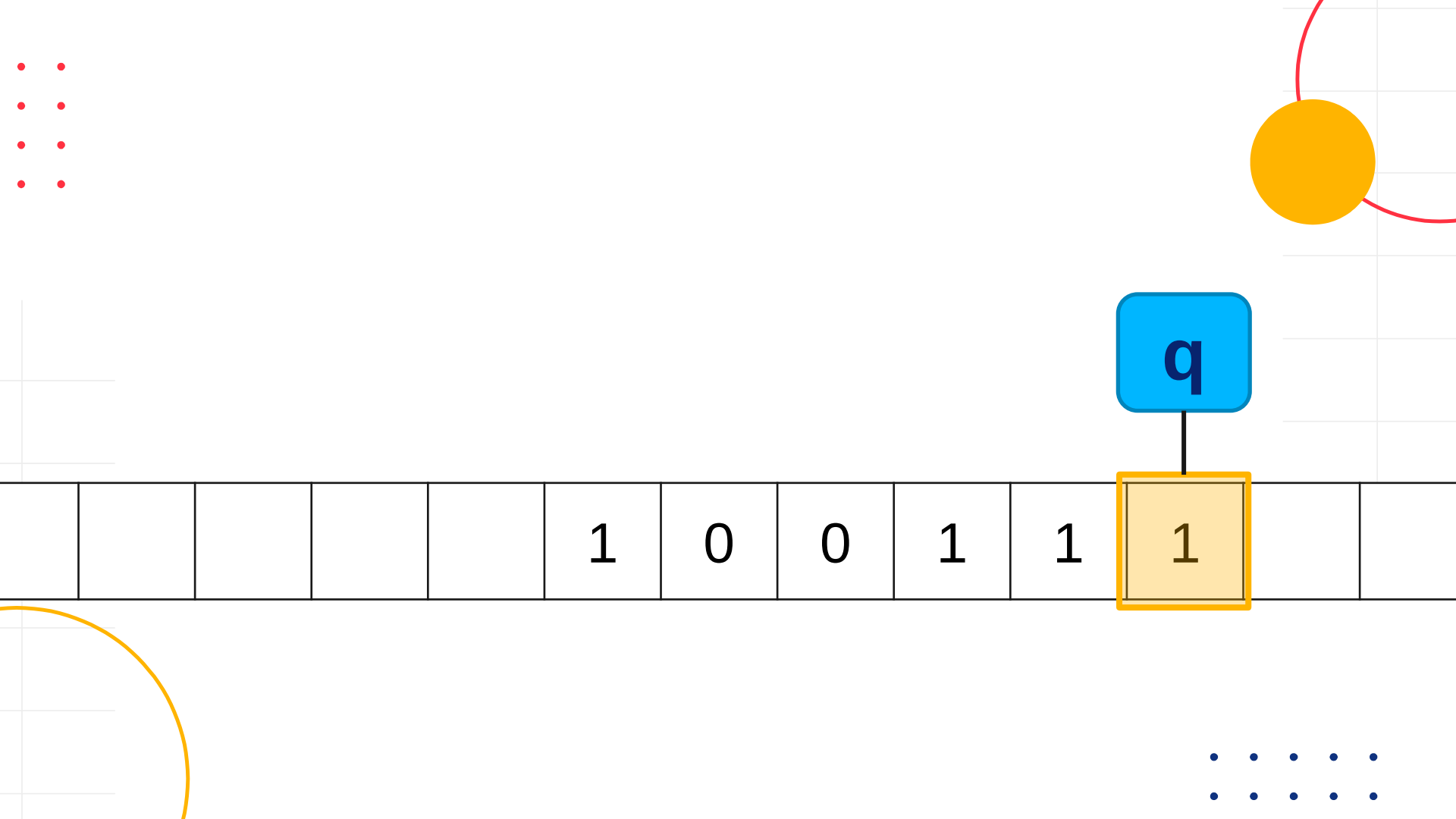


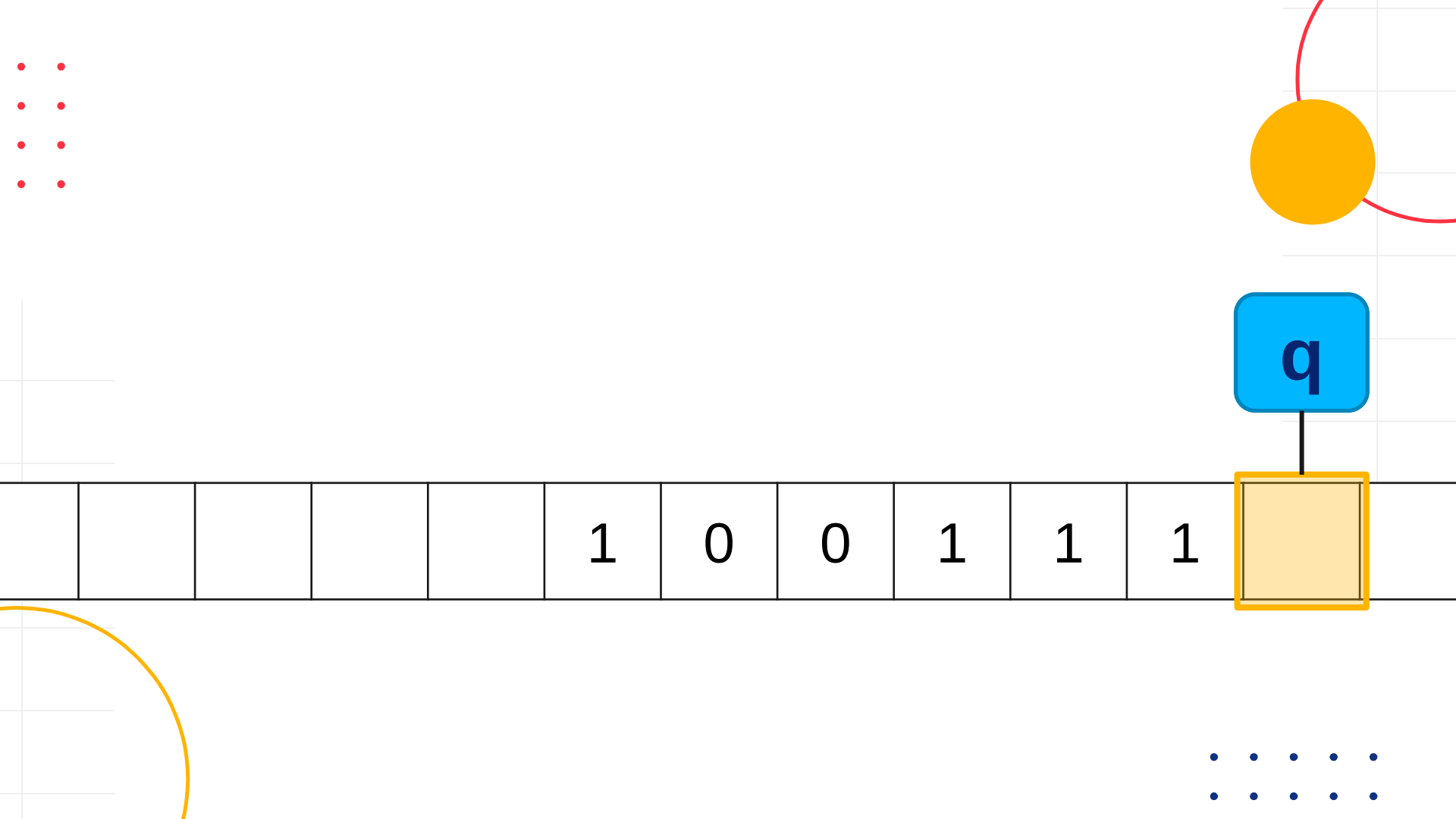


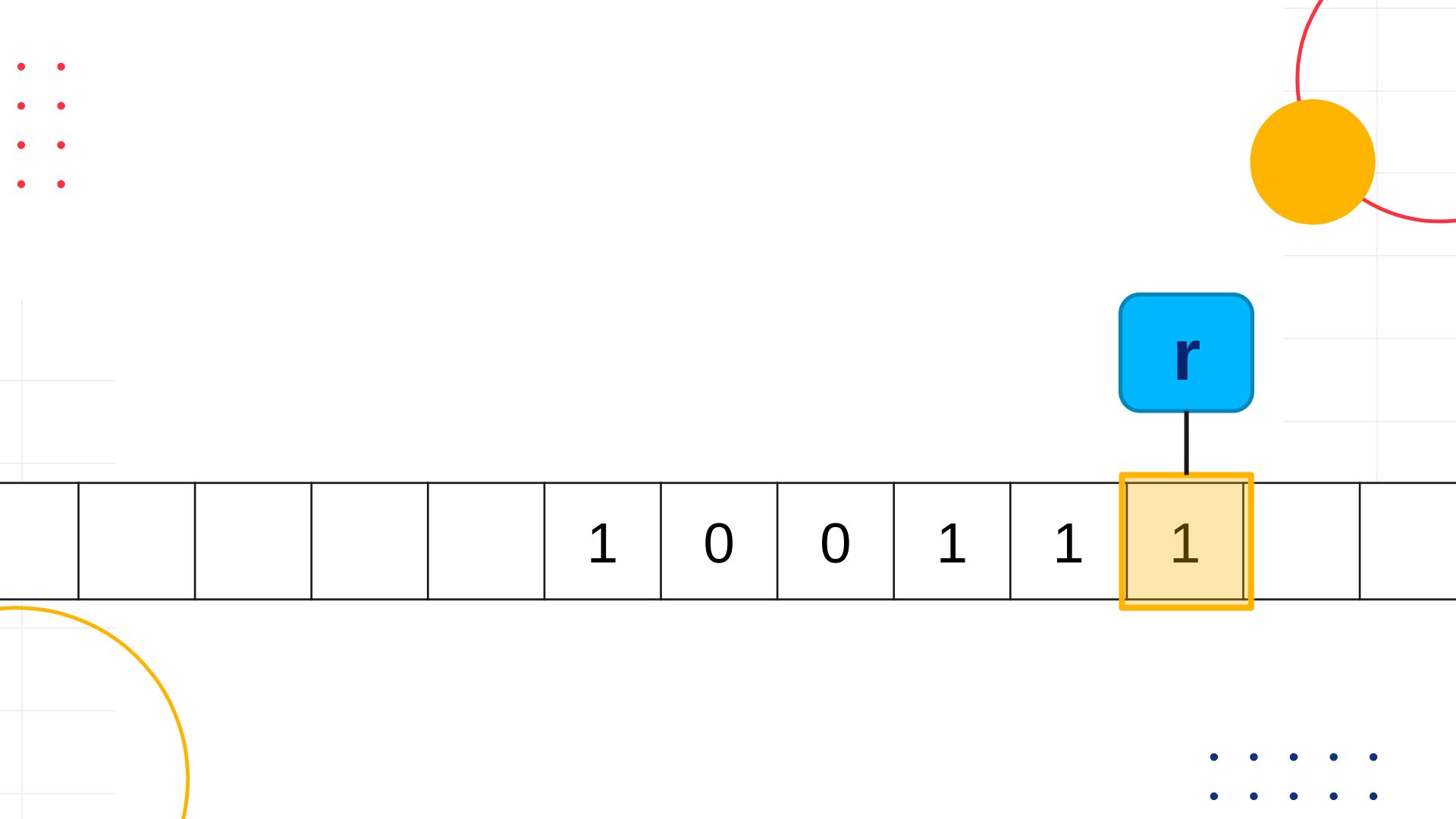


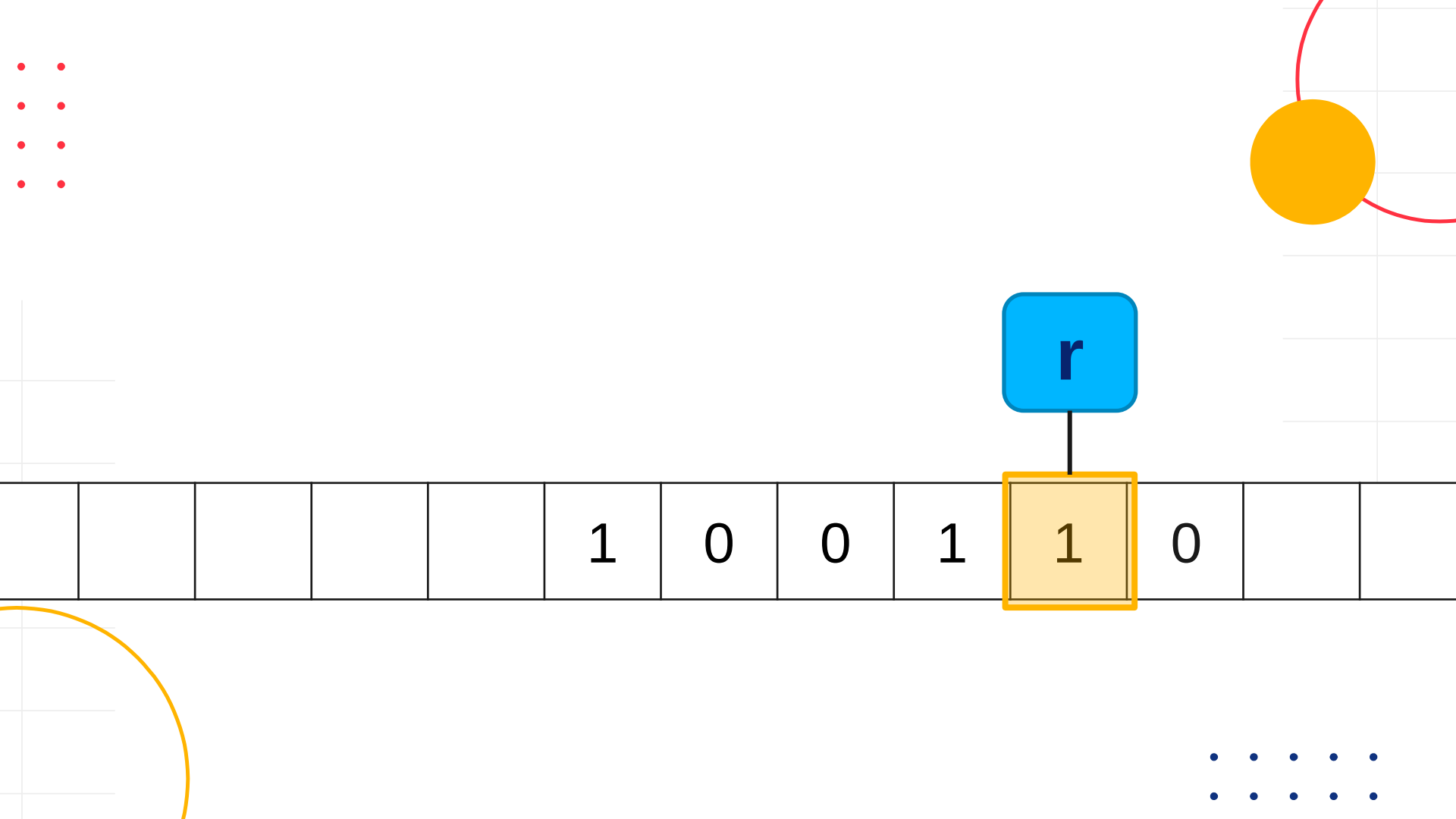


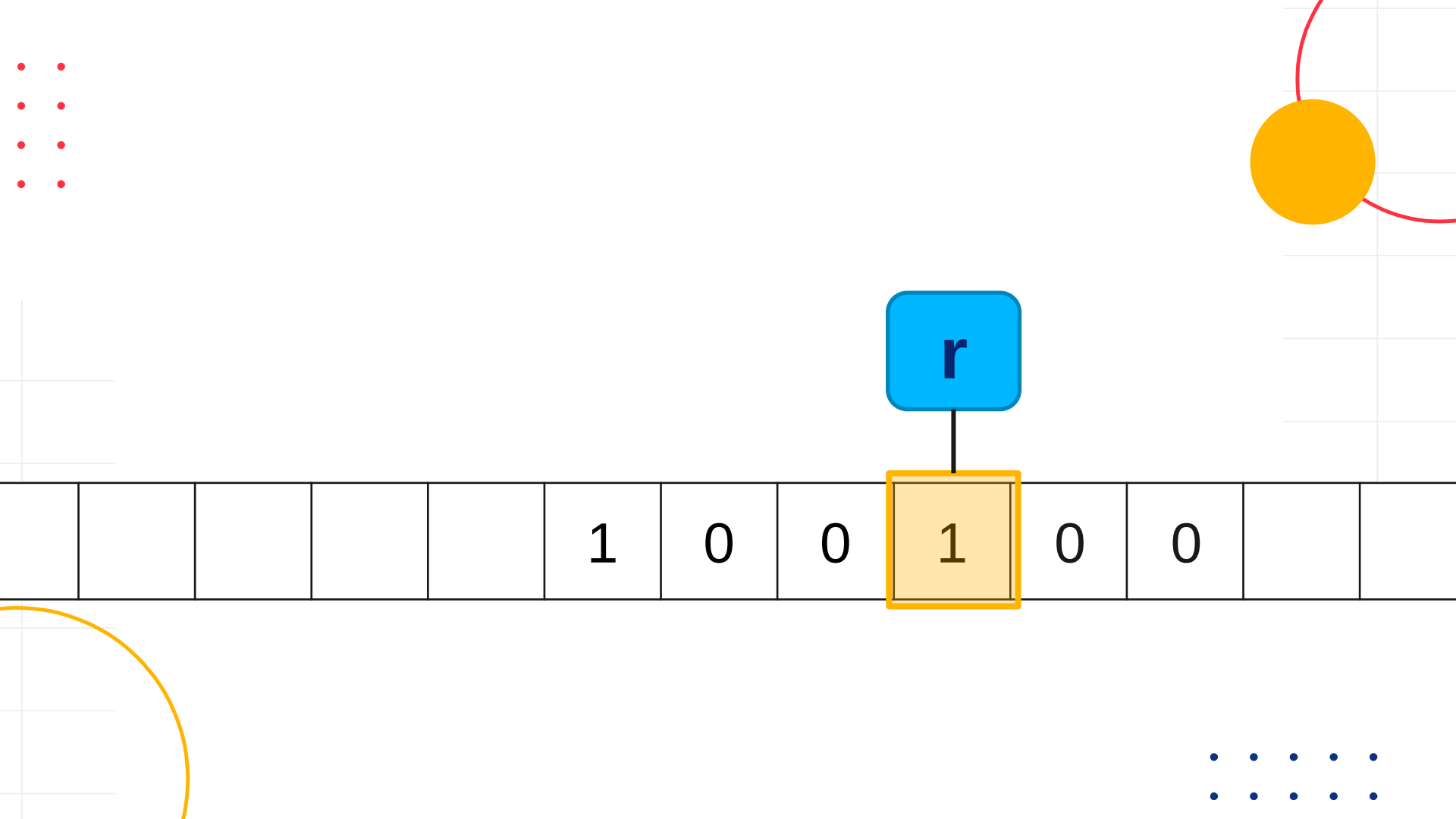


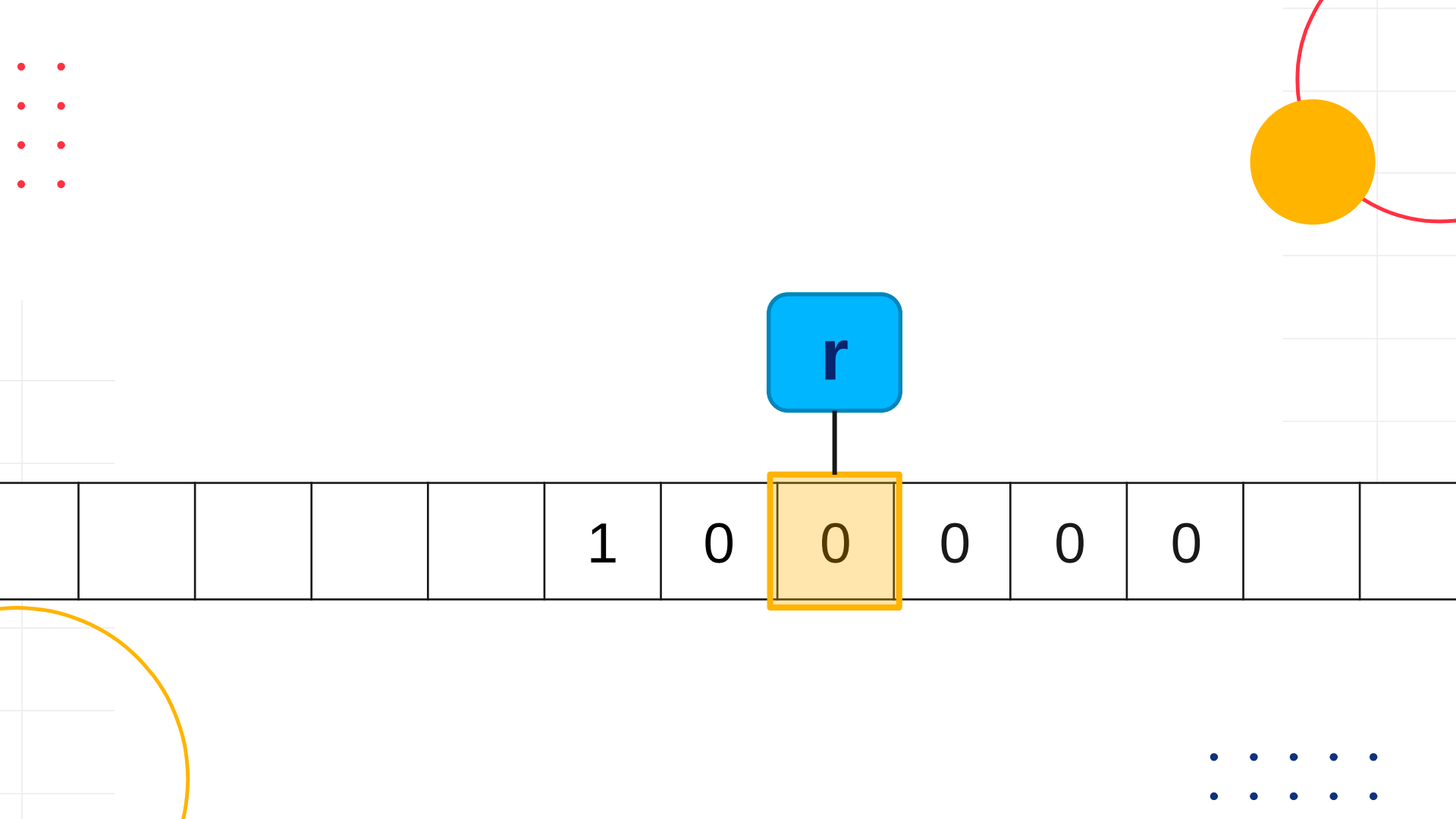


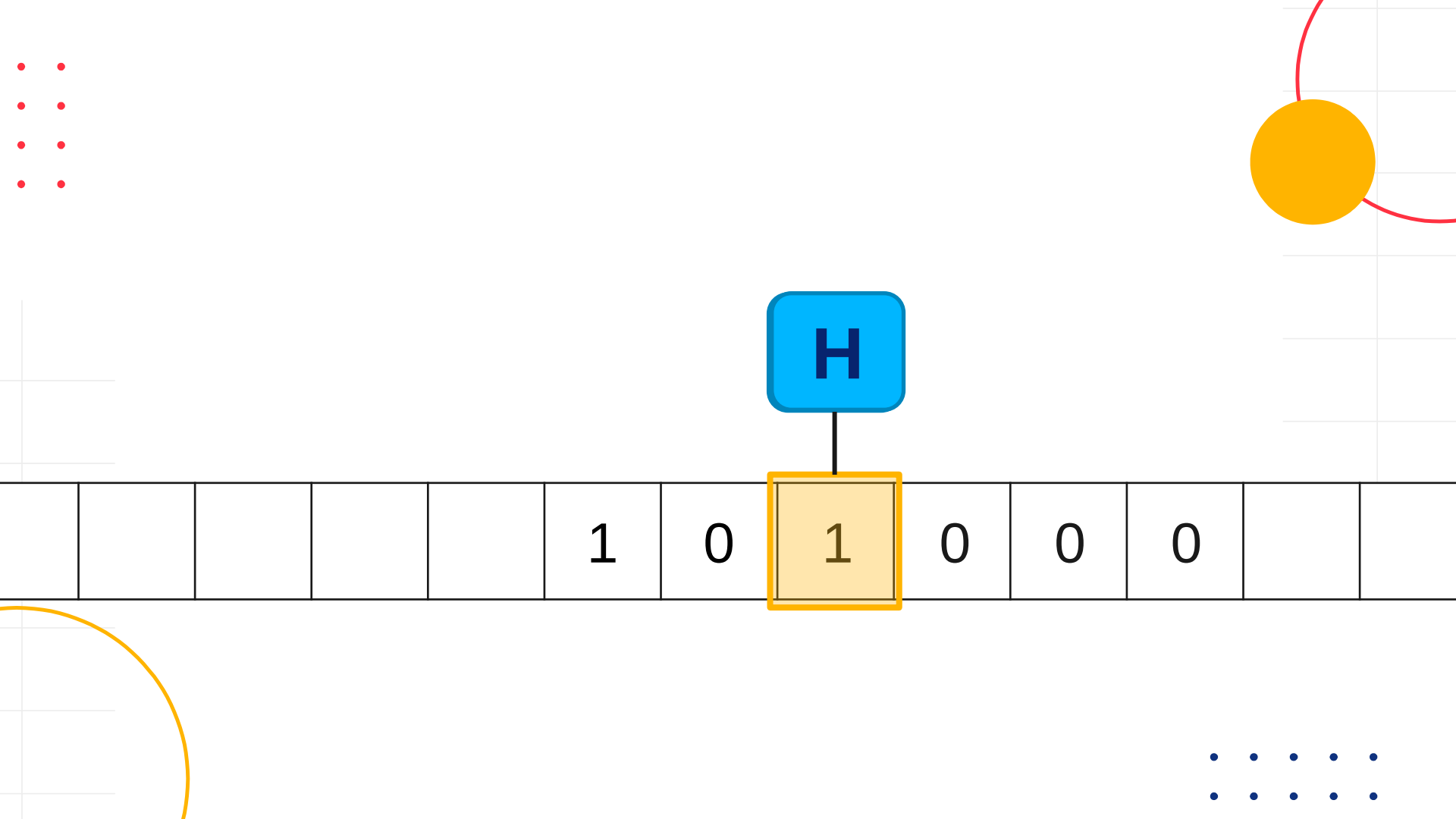








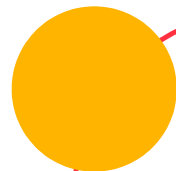






Formal definition

$$M = (Q, \Sigma, \Gamma, B, q_1, \delta)$$



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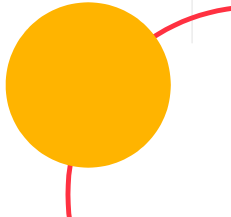
Finite **set of states** the machine “can be in”



Formal definition


$$M = (Q, \Sigma, \Gamma, B, q_1, \delta)$$

Finite set of *symbols* – the “input alphabet”

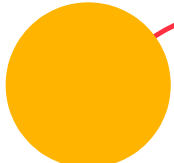




Formal definition

$$M = (Q, \Sigma, \Gamma, B, q_1, \delta)$$


Finite set of *symbols* – the “**tape alphabet**”



Formal definition

$$M = (Q, \Sigma, \Gamma, B, q_1, \delta)$$

The “blank” symbol

Formal definition

$$M = (Q, \Sigma, \Gamma, B, \boxed{q_1}, \delta)$$

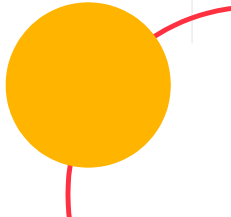
Initial state



Formal definition

$$M = (Q, \Sigma, \Gamma, B, q_1, \delta)$$

The transition function

$$\delta: Q \times \Gamma \rightarrow Q' \times \Gamma \times \{\leftarrow, -, \rightarrow\}$$


Formal definition

$$M = (Q, \Sigma, \Gamma, B, q_1, \delta)$$

The transition function

$$\delta: Q \times \Gamma \rightarrow (Q \cup \{Y, N, H\}) \times \Gamma \times \{\leftarrow, -, \rightarrow\}$$



Checking if a number is even

	0	1	$\square$
q_1			
q_2			





Checking if a number is even

	0	1	$\square$
q_1	$q_1, 0, \rightarrow$	$q_1, 1, \rightarrow$	$q_2, \square, \leftarrow$
q_2	$Y, 0, -$	$N, 1, -$	$N, \square, -$



Using states as memory

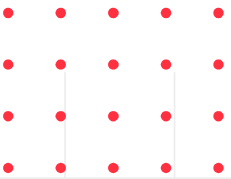
	0	1	$\square$
start	$\text{mem}_0, 0, \rightarrow$	$\text{mem}_1, 1, \rightarrow$	$Y, \square, -$
mem_0	$\text{mem}_0, 0, \rightarrow$	$\text{mem}_0, 1, \rightarrow$	$\text{expect}_0, \square, \leftarrow$
mem_1	$\text{mem}_1, 0, \rightarrow$	$\text{mem}_1, 1, \rightarrow$	$\text{expect}_1, \square, \leftarrow$
expect_0	$Y, 0, -$	$N, 1, -$	$N, \square, -$
expect_1	$N, 0, -$	$Y, 1, -$	$N, \square, -$

Incrementing a number

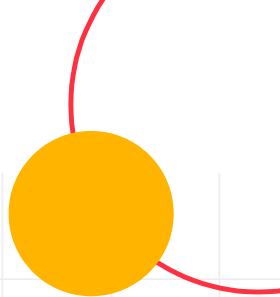
	0	1	$\square$
q_1	$q_1, 0, \rightarrow$	$q_1, 1, \rightarrow$	$q_2, \square, \leftarrow$
q_2	H, 1, $-$	$q_2, 0, \leftarrow$	H, 1, $-$

Checking for palindromes

	0	1	$\square$
start	$\text{mem}_0, \square, \rightarrow$	$\text{mem}_1, \square, \rightarrow$	$Y, \square, -$
mem_0	$\text{mem}_0, 0, \rightarrow$	$\text{mem}_0, 1, \rightarrow$	$\text{expect}_0, \square, \leftarrow$
mem_1	$\text{mem}_1, 0, \rightarrow$	$\text{mem}_1, 1, \rightarrow$	$\text{expect}_1, \square, \leftarrow$
expect_0	$\text{reset}, \square, -$	$N, 1, -$	$Y, \square, -$
expect_1	$N, 0, -$	$\text{reset}, 1, -$	$Y, \square, -$
reset	$\text{reset}, 0, \leftarrow$	$\text{reset}, 1, \leftarrow$	$\text{start}, \square, \rightarrow$



Same number of 0s and 1s



	0	1	$\square$	X
start	$find_1, X, \rightarrow$	$find_0, X, \rightarrow$	$Y, \square, -$	$start, X, \rightarrow$
$find_0$	$reset, X, \leftarrow$	$find_0, 1, \rightarrow$	$N, \square, -$	$find_0, X, \rightarrow$
$find_1$	$find_1, 0, \rightarrow$	$reset, 1, \leftarrow$	$N, \square, -$	$find_1, X, \rightarrow$
reset	$reset, 0, \leftarrow$	$reset, 1, \leftarrow$	$start, \square, \rightarrow$	$reset, X, \leftarrow$

